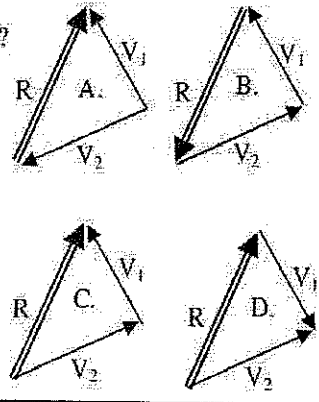


Vector Basics

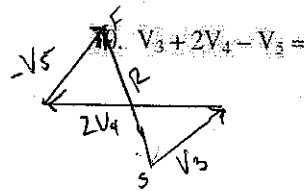
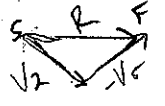
1. Resolve	B	<input checked="" type="checkbox"/> The portion of the vector on the x or y axis.	7. In figures A—D, which vectors are added correctly? If wrong, why? A. No, tip to tail B. Yes C. No, resultant does not equal at origin D. No, tip to tail
2. Magnitude	C	<input checked="" type="checkbox"/> To find the x- or y-component of a vector.	
3. Resultant	E	<input checked="" type="checkbox"/> The size of a vector ("35" of "35 m").	
4. Component	A	<input checked="" type="checkbox"/> Tells where a vector is pointing or the angle of the vector.	
5. Direction	D	<input checked="" type="checkbox"/> What you find by adding two vectors together.	
6. Vector	F	<input checked="" type="checkbox"/> Something that has magnitude and direction.	



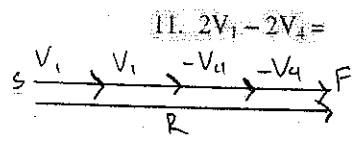
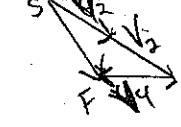
Using the vectors at the right, draw the resultants for the following operations.



8. $V_2 - V_3 =$



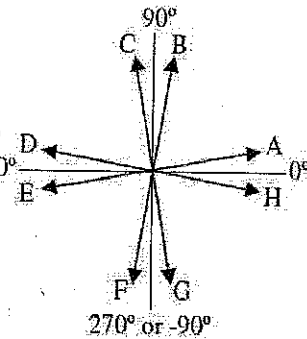
9. $2V_2 + V_4 =$



$V_1 + V_4 = 0$
 12. Add $2V_1 + V_4$ mathematically.
 V_1

13. If each of the vectors is 10° from the closest axis, determine the directions of each of the vectors.

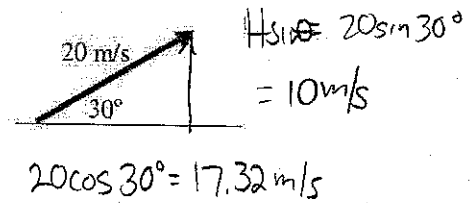
- $\theta_A = 10^\circ$
- $\theta_B = 80^\circ$
- $\theta_C = 100^\circ$
- $\theta_D = 170^\circ$
- $\theta_E = 190^\circ (-170^\circ)$
- $\theta_F = 260^\circ (-100^\circ)$
- $\theta_G = 280^\circ (-80^\circ)$
- $\theta_H = 350^\circ (-10^\circ)$



15. A person walks 12 m across a room.
 A. What is their horizontal component?
 B. What is their vertical component?

12m
 0m

16. Resolve this vector into its components.

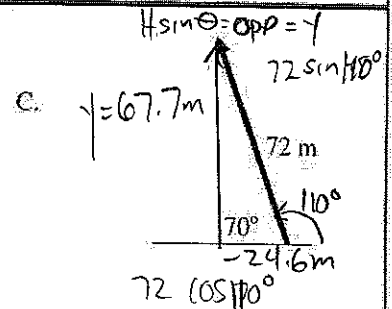
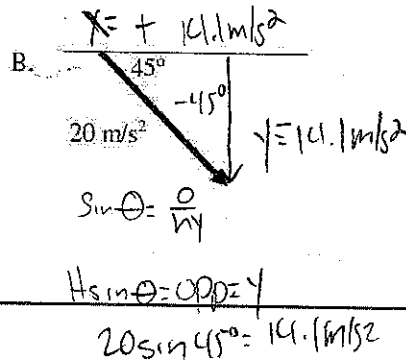
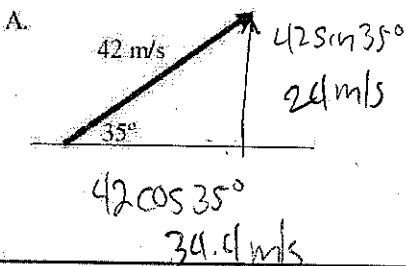


14. Find calculator directions for the following vectors.

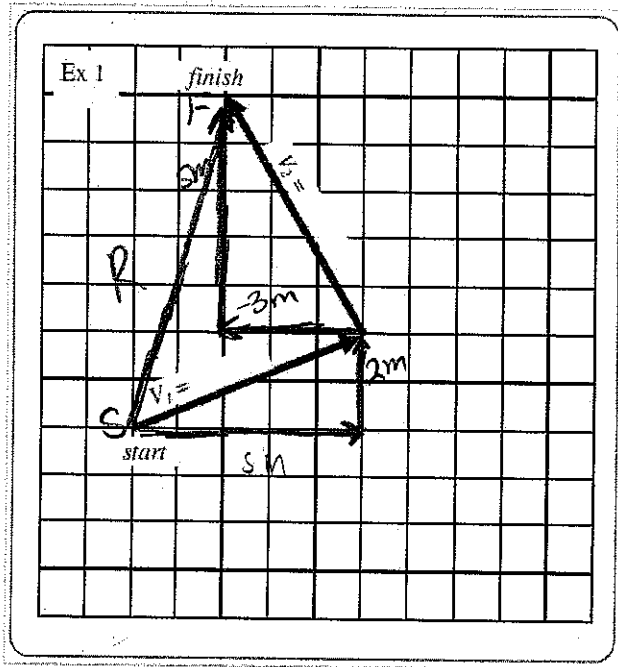
- A. $\theta = 90^\circ$
- B. $\theta = 335^\circ$ or -25°
- C. $\theta = 135^\circ$



17. Resolve these vectors into their components.



Each grid square represents 1 m. In this example, you may count squares.



- Find the following information for vector 1.
 - How far does vector 1 move horizontally? (This is the X-component.) $X_1 = 5m$
 - What is the Y-component of vector 1? $Y_2 = 2m$
 - How long is vector 1? (Find the magnitude of vector 1.) $(x^2 + y^2 = c^2)$

$$V_1 = \sqrt{(5m)^2 + (2m)^2} = \sqrt{25 + 4} = \sqrt{29} = 5.4m$$

- Resolve vector 2 into its x and y components.

(Do the same as in #1)

A. $X_2 = -3m$

B. $Y_2 = 5m$

C. Magnitude of vector 2 = $a^2 + b^2 = c^2$

$$V_2^2 = (-3m)^2 + (5m)^2$$

$$V_2 = \sqrt{9 + 25}$$

$$V_2 = 5.8m$$

- Draw the resultant from the start to the finish (Label it "R").

4. Add together X_1 and $X_2 = 5m + -3m = 2m$ (this is X_{total})

5. $Y_{total} = 2m + 5m = 7m$

- Using X_{total} and Y_{total} , calculate the length of R

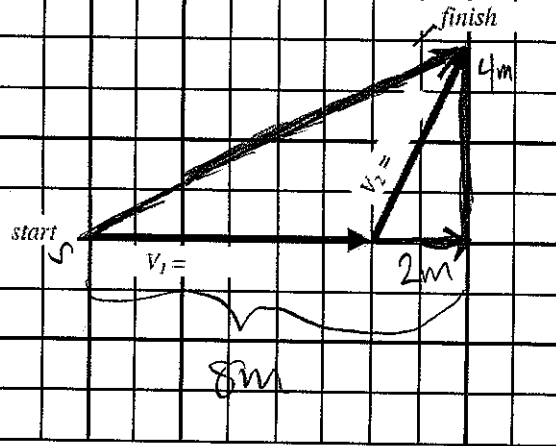
(with X_{total} and Y_{total} you have two sides of a right triangle). $\tan \theta = \frac{7m}{2m} = 3.5m$

$$a^2 + b^2 = c^2$$

$$\theta = \tan^{-1}(3.5) = 74^\circ$$

$$R = \sqrt{(2m)^2 + (7m)^2} = \sqrt{4 + 49} = 7.3m \quad 74^\circ$$

Ex 2



1. A. $X_1 = 6m$ B. $Y_2 = 0m$

C. Magnitude of $V_1 =$
 $6m$

2. A. $X_2 = 2m$ B. $Y_2 = 4m$

C. Magnitude of vector 2 = $a^2 + b^2 + c^2$
 $V_2^2 = (2m)^2 + (4m)^2$

$V_2 = 4.47m$

3. Draw the resultant from the start to the finish.

4. A. $X_{total} = 8m$ B. $Y_{total} = 4m$

5. Calculate the magnitude of R. $a^2 + b^2 = c^2$

$R^2 = (8m)^2 + (4m)^2 = \sqrt{64 + 16} = 8.9m$

6. Using X total and Y total, calculate the direction of R.
(see "Adding Vector" notes.)

$\tan \theta = \frac{y_t}{x_t} = \frac{4m}{8m} = 0.5$

$\theta = \tan^{-1}(0.5) \quad \theta = 26.6^\circ$